

**Assessment Schedule – 2007****Mathematics: Use geometric reasoning to solve problems (90153)****Evidence Statement**

	Criteria	No.	Evidence	Code	Judgement	Sufficiency
<b>Achievement</b>	Use geometric reasoning to solve problems.	1(a)	$\angle ACB = 52^\circ$ ( $\angle$ s on a line) $\angle BAC = 76^\circ$ ( $\angle$ sum isos $\Delta$ )	A	CAO	TWO of code A
		1(b)	$\angle IFG = 43^\circ$ ( $\angle$ s on a line ) $\angle GHI = 43^\circ$ (opp $\angle$ s //gram =)	A	CAO	Replacement evidence: any correct angle that involves at least two steps of geometric reasoning, from questions 2 and 3.
		1(c)	$\angle JLN = 47^\circ$ (Corr $\angle$ s, // lines) $\angle LMN = 180 - 47 - 98 = 35^\circ$ (Co-int $\angle$ s, // lines)	A	CAO Reasons are not required for Achievement.	
<b>Achievement with Merit</b>	Use, and state, geometric reasons in solving problems.	2(a)	$\Delta$ s RSO and STO are isos (= radii) $\angle RSO = (180^\circ - 80^\circ) \div 2 = 50^\circ$ ( $\angle$ sum isos $\Delta$ ) $\angle SOT = 50^\circ$ (alt $\angle$ s, // lines) $\angle STU = 65^\circ$ ( $\angle$ sum isos $\Delta$ )	M	Accept other valid chains of reasons.  The solution must involve at least 2 steps supported by at least 2 correctly stated reasons.	<b>ACHIEVEMENT plus</b> TWO of code M
		2(b)	$\angle WXY = 48^\circ$ ( $\angle$ s on a line) $\angle WYX = 48^\circ$ (base $\angle$ s =, isos $\Delta$ ) $\angle UXY = 132^\circ$ (vert opp $\angle$ s =) $\angle XYU = 24^\circ$ (base $\angle$ s of isos $\Delta$ UXY ) So $\angle WYZ = 108^\circ$ ( $\angle$ s on a line)	M		OR THREE of code M
		2(c)	$\Delta$ s ABE and ACD are similar So $\frac{AB}{12} = \frac{15}{20}$ or $\frac{AB}{15} = \frac{12}{20}$ So AB = 9 cm  So DE = BC = 15 – 9 = 6 cm	M	Question 2(c) must have reference to similarity of triangles.	Replacement evidence for M: a correct angle supported by a chain of geometric reasoning of at least two steps from question 3.
<b>Achievement with Excellence</b>	Solve an extended geometrical problem.	3	<u><math>\Delta</math> OAC</u> : isos $\Delta$ (= radii) $\angle OCA = 38^\circ$ (base $\angle$ s isos $\Delta$ =) $\angle AOC = 104^\circ$ ( $\angle$ sum $\Delta$ )  Reflex $\angle AOC = 256^\circ$ ( $\angle$ s at a pt)  <u><math>\Delta</math> ABC</u> : $\angle ABC = 128^\circ$ ( $\frac{1}{2}$ $\angle$ at centre) $\angle BAC = 38^\circ$ (alt $\angle$ s, // lines) $\angle ACB = 14^\circ$ ( $\angle$ sum $\Delta$ )	E	For code A, angle only is sufficient evidence.  For codes M and E. reasons are also required.  Accept other valid chains of reasons.	<b>MERIT plus</b> Code E

## Judgement Statement

Achievement	Achievement with Merit	Achievement with Excellence
Use geometric reasoning to solve problems.  $2 \times A$	Use, and state, geometric reasons in solving problems.  $2 \times A$ and $2 \times M$ <i>or</i> $3 \times M$	Solve an extended geometrical problem.  <b>Merit plus</b> $1 \times E$

The following Mathematics-specific marking conventions may also have been used when marking this paper:

- Errors are circled.
- Omissions are indicated by a caret (^).
- **NS** may have been used when there was not sufficient evidence to award a grade.
- **CON** may have been used to indicate ‘consistency’ where an answer is obtained using a prior, but incorrect answer and **NC** if the answer is not consistent with wrong working.
- **CAO** is used when the ‘correct answer only’ is given and the assessment schedule indicates that more evidence was required.
- **#** may have been used when a correct answer is obtained but then further (unnecessary) working results in an incorrect final answer being offered.
- **RAWW** indicates right answer, wrong working.
- **R** for ‘rounding error’ and **PR** for ‘premature rounding’ resulting in a significant round-off error in the answer (if the question required evidence for rounding).
- **U** for incorrect or omitted units (if the question required evidence for units).
- **MEI** may have been used to indicate where a minor error has been made and ignored.